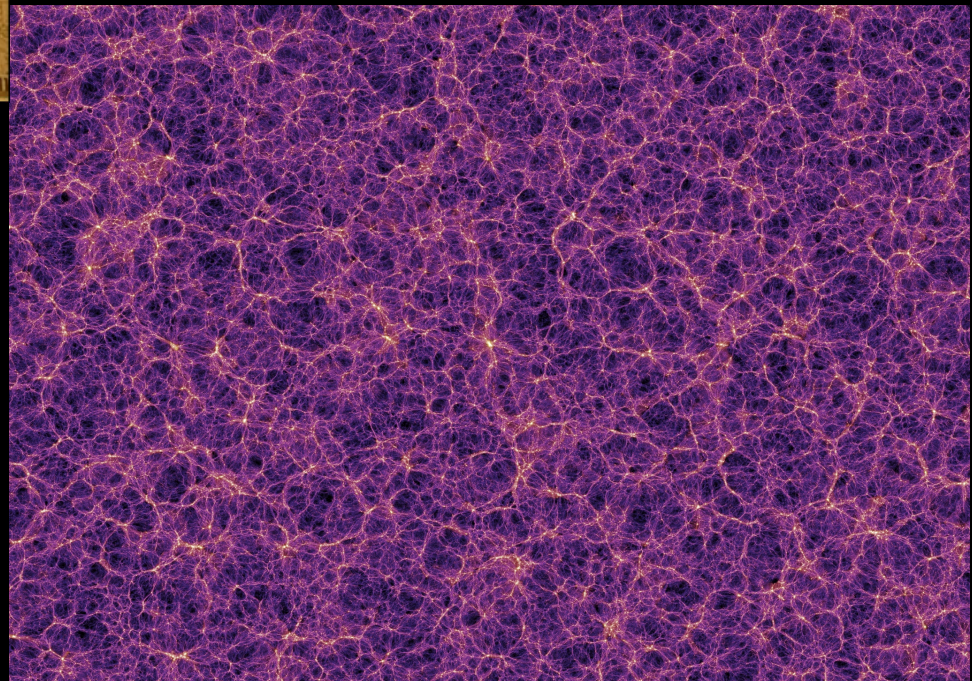


TEMNA STRAN VESOLJA



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FMF, UL



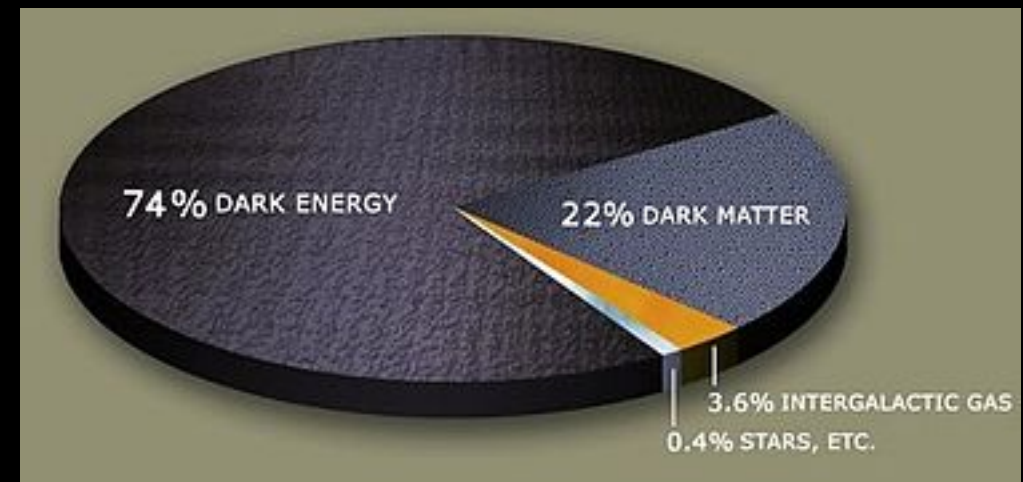
Temna snov in temna energija

Temna snov

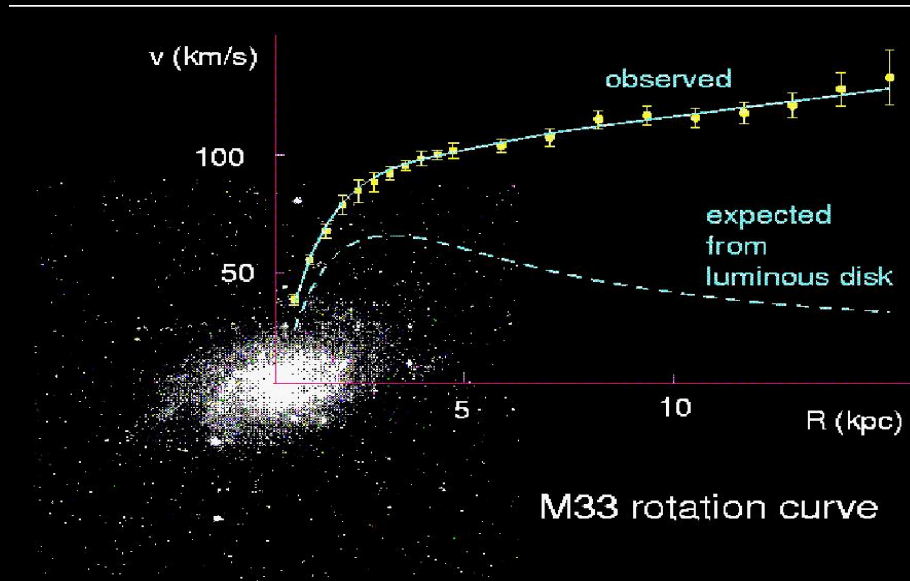
- Rotacijske krivulje galaksij
- Razpršenost hitrosti galaksij
- Opazovanje X žarkov v jatah galaksij
- Gravitacijsko lečenje
- Prasevanje
- LSS – razvoj velikih struktur v vesolju (BAO vrh, Lyman alfa gozd, korelacije v porazdelitvi galaksij)

Temna energija

- Supernove tipa Ia
- Prasevanje
- Razvoj struktur v poznem vesolju
- Integrirani Sachs-Wolfeov (ISW) efekt



Temna snov - rotacijske krivulje galaksij

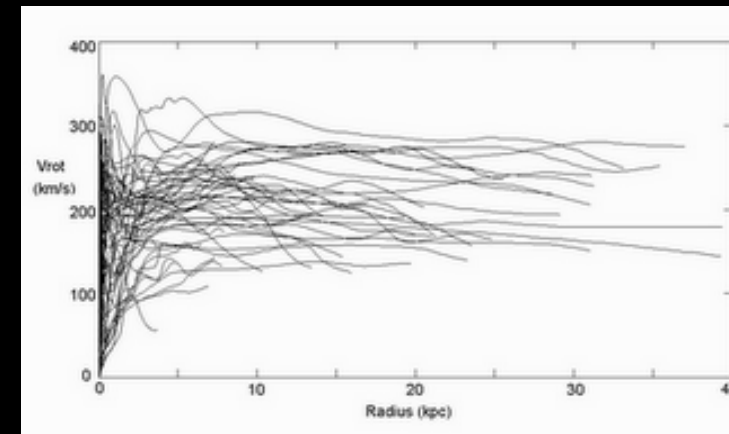
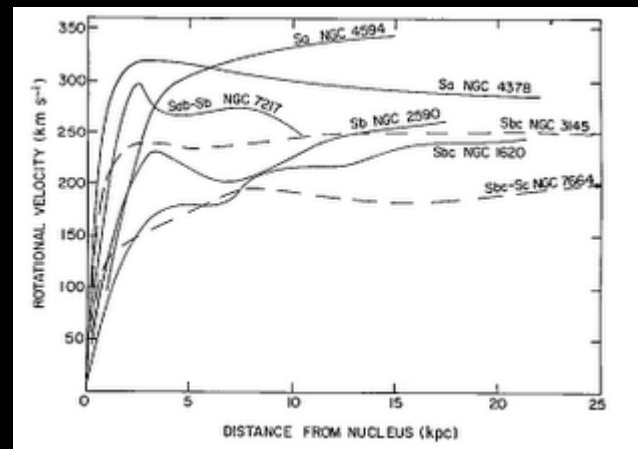
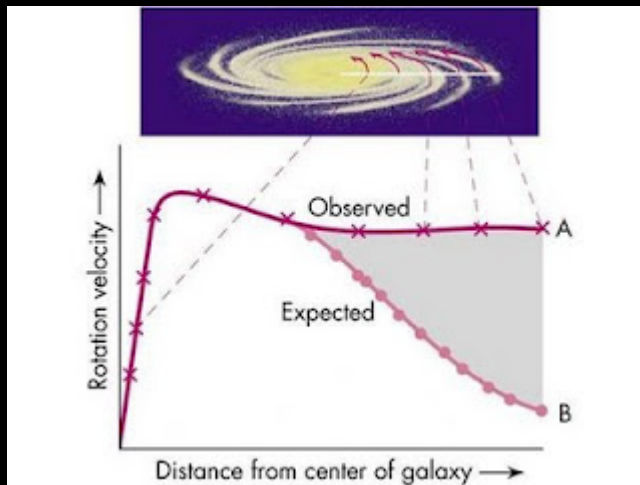
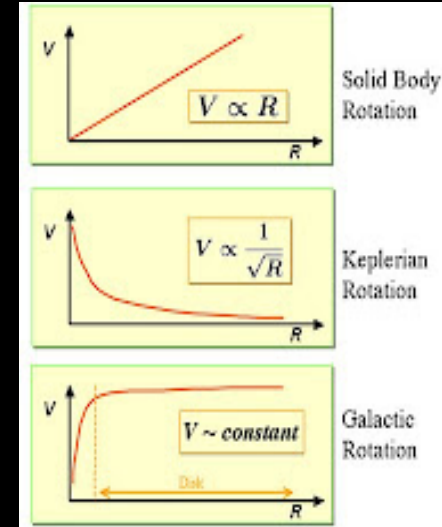


$$F_{\text{centripetal}} = F_{\text{gravity}}$$

$$\frac{mv_r^2}{r} = \frac{GmM_{\text{total}}(r)}{r^2}$$

$$v_r = \sqrt{\frac{GM_{\text{total}}(r)}{r}}$$

$$\frac{M(r)}{r} \rightarrow \text{const} \quad (r \gg r_{\text{core}})$$



Temna snov – gravitacijsko lečenje



Abell 2128

Odklon za točkasto maso:

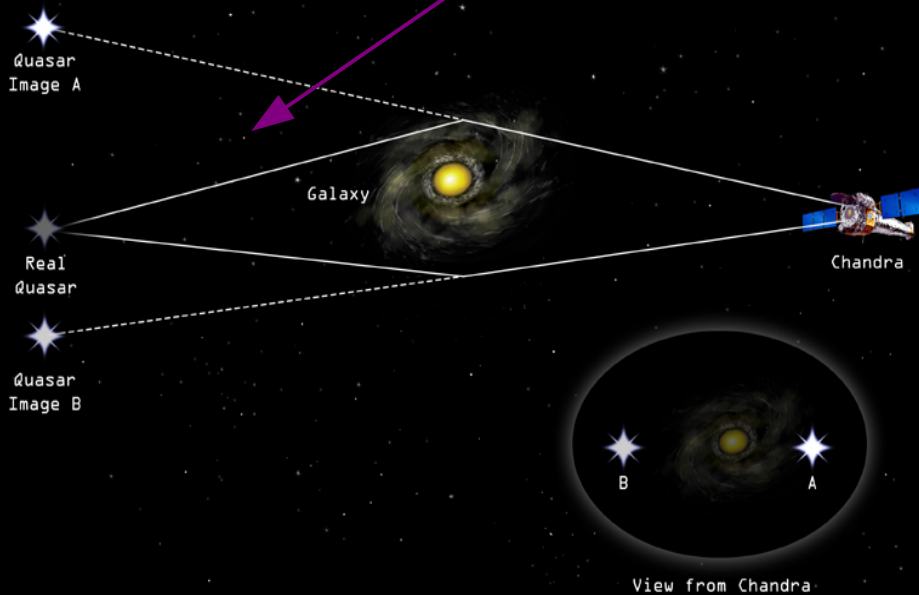
$$\alpha = \frac{4GM}{c^2 R}$$

Odklon za masno porazdelitev:

$$\alpha = \frac{4G}{c^2} \int \frac{\Sigma(\mathbf{R})}{R^2} d\mathbf{R}$$

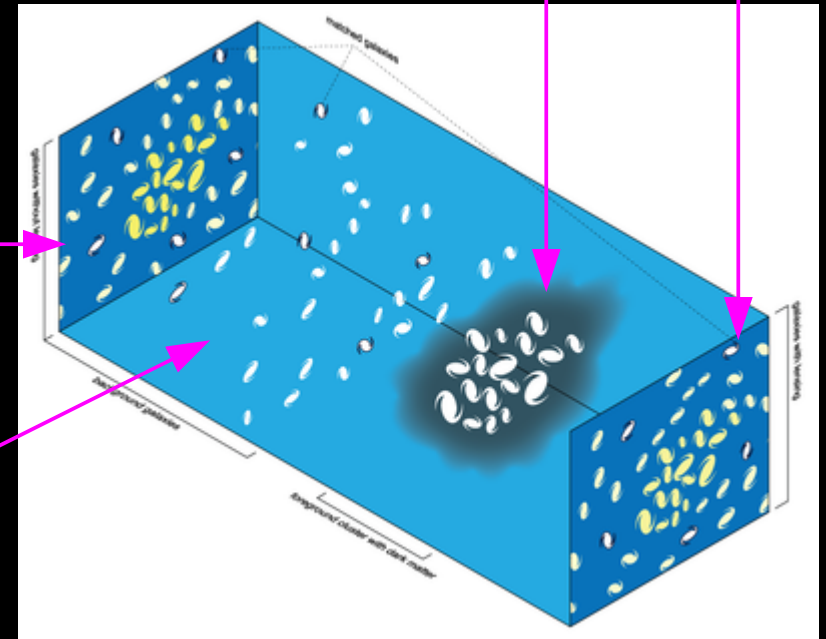
Opazovana lečena projekcija

Leča: temna snov + plin + galaksije

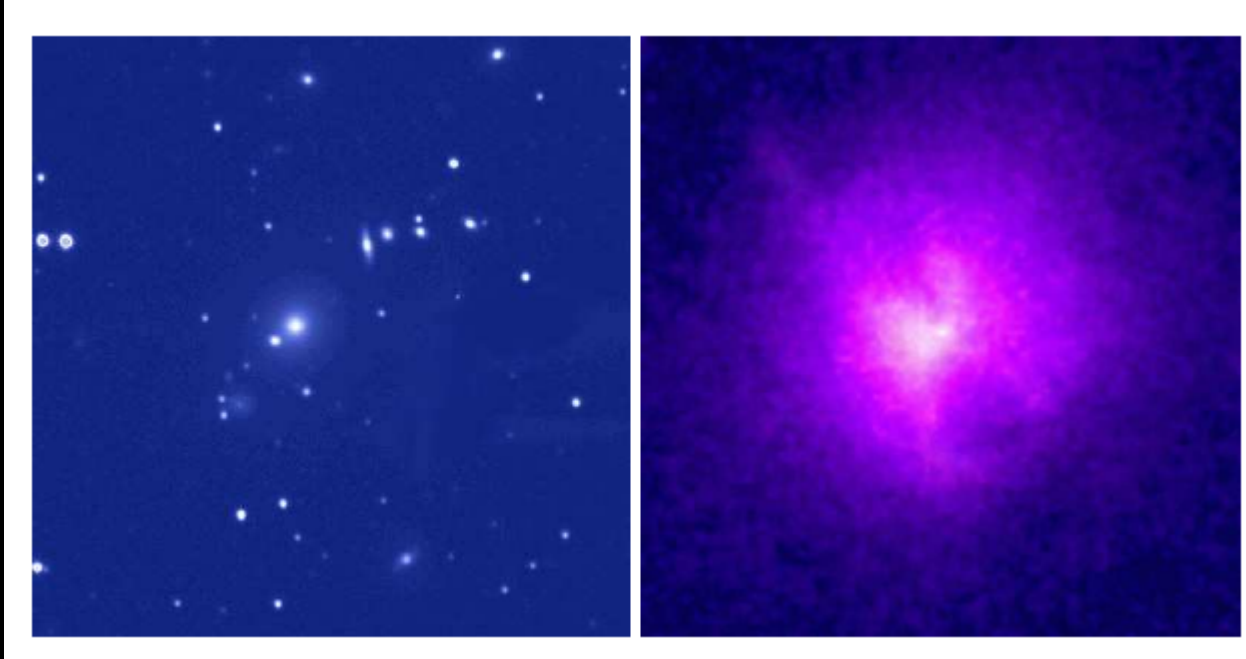


Opazovana projekcija

Opazovane galaksije



Temna snov – Jate galaksij in X žarki



Temperature plina v jatah galaksij:

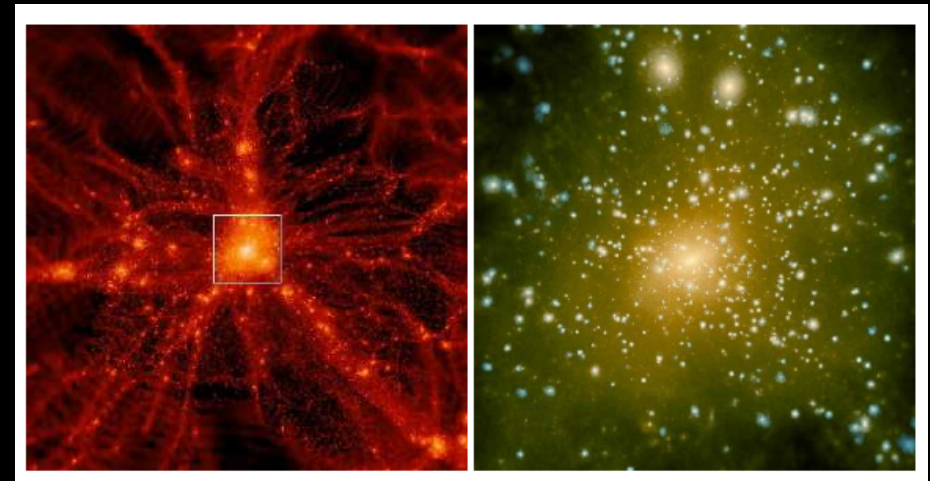
$$T \sim 10^7 \text{ K}$$

Hidrodinamično ravnovesje:

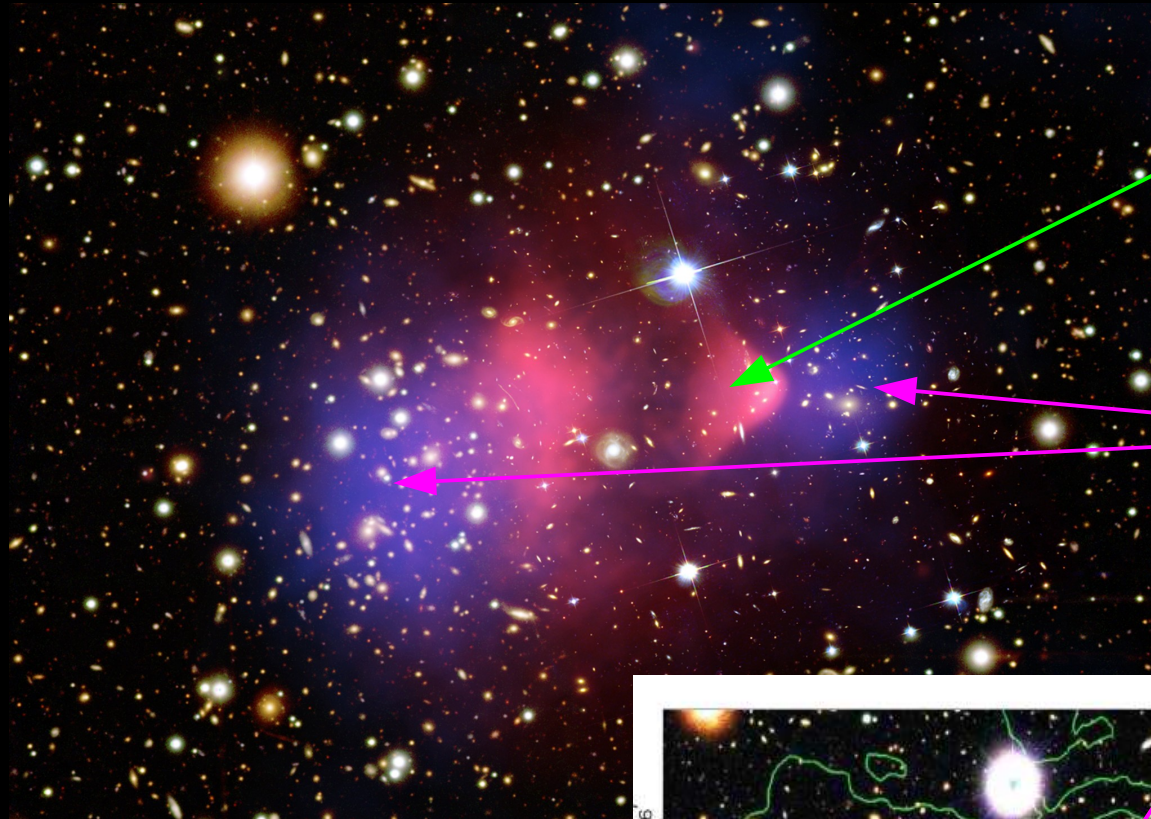
$$M_T(r) = -\frac{kT(r)r}{G\mu m_p} \left(\frac{d \ln \rho_{gas}}{d \ln r} + \frac{d \ln T}{d \ln r} \right)$$

Hydra A: (levo) optični posnetek iz La Palme;
(desno) X žarki posneti z satelitom Chandra

Modeli evolucije jat galaksij podajo
relacijo med temperaturo (in tlakom, entropijo)
plina v jati in celotno maso jate, ki je potrebna,
da drži celoten gravitacijski sistem vezan.



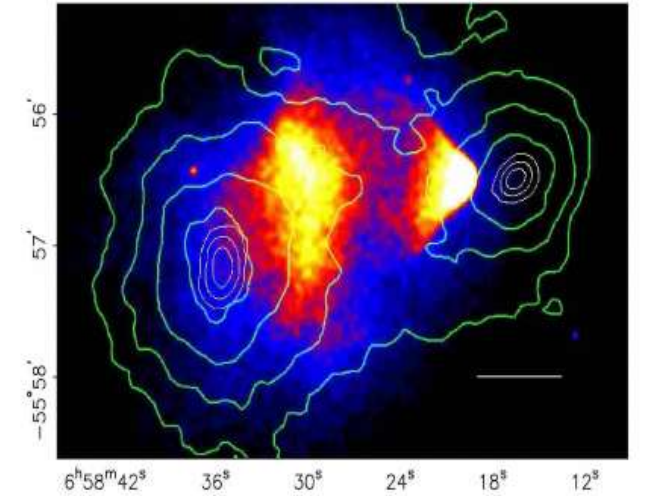
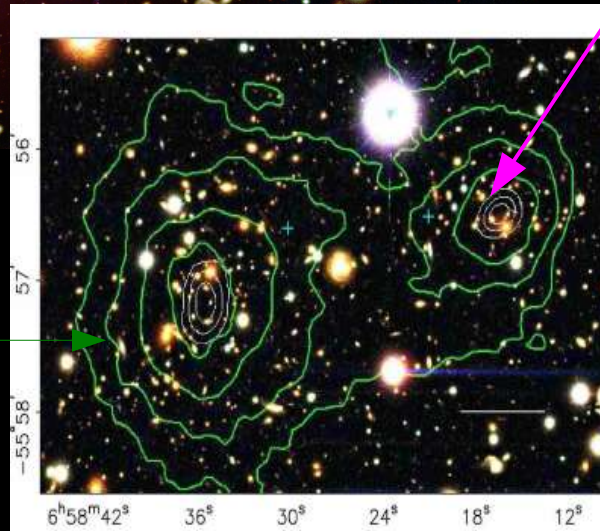
Temna snov – Jata galaksij “Metek”



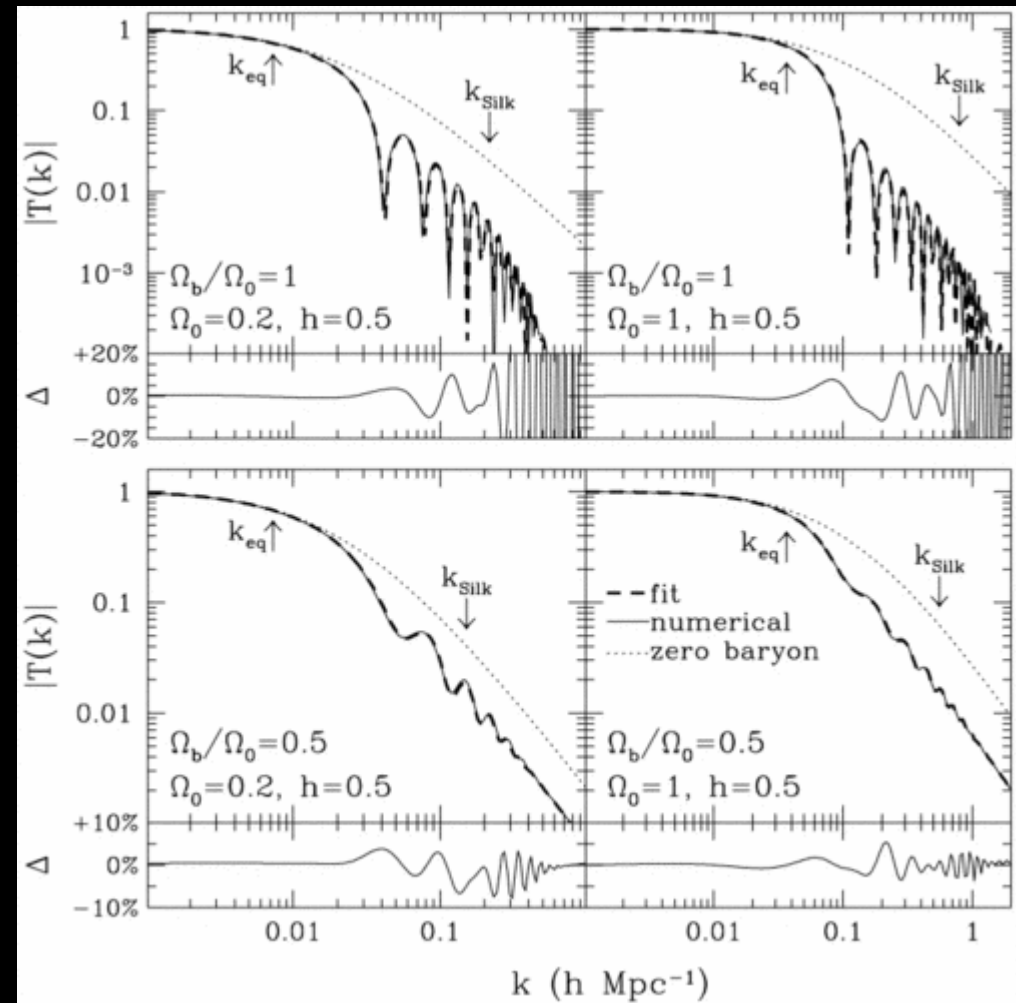
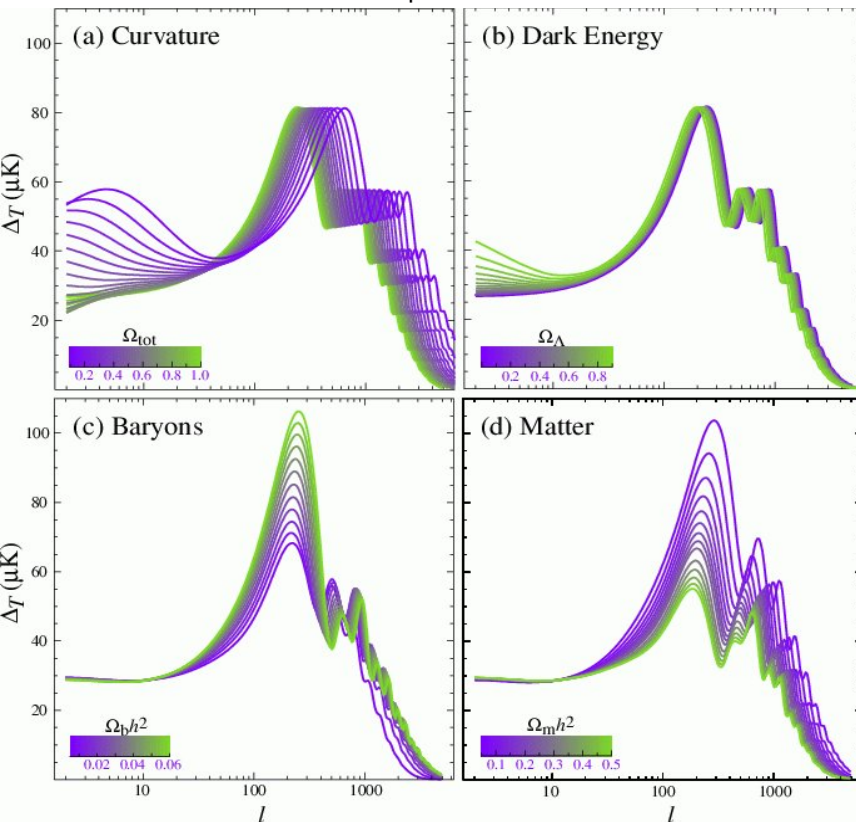
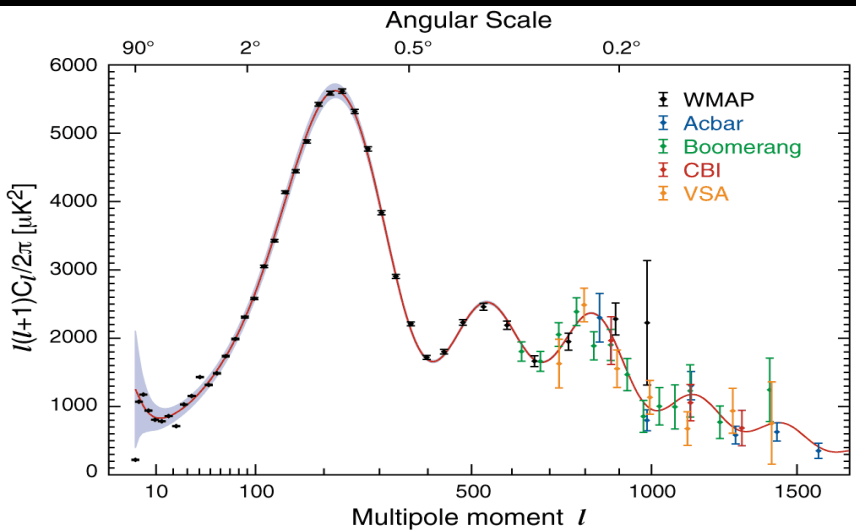
Vroč plin (X žarki)

Večina mase:
temna snov

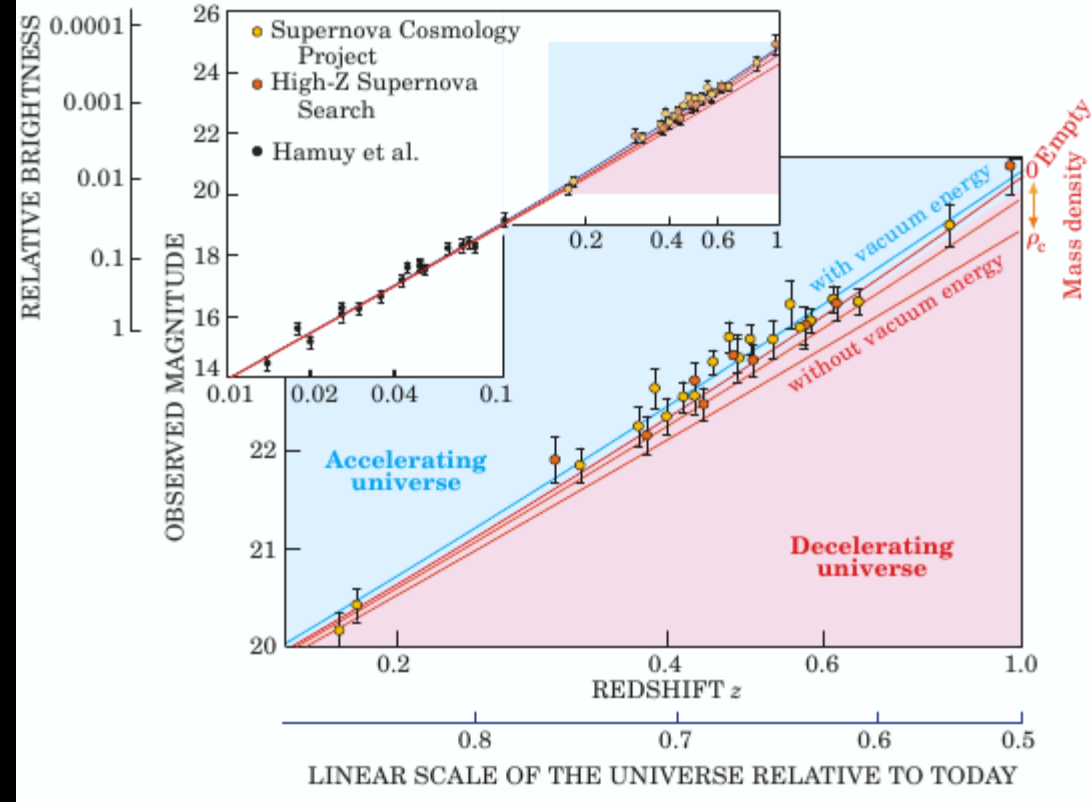
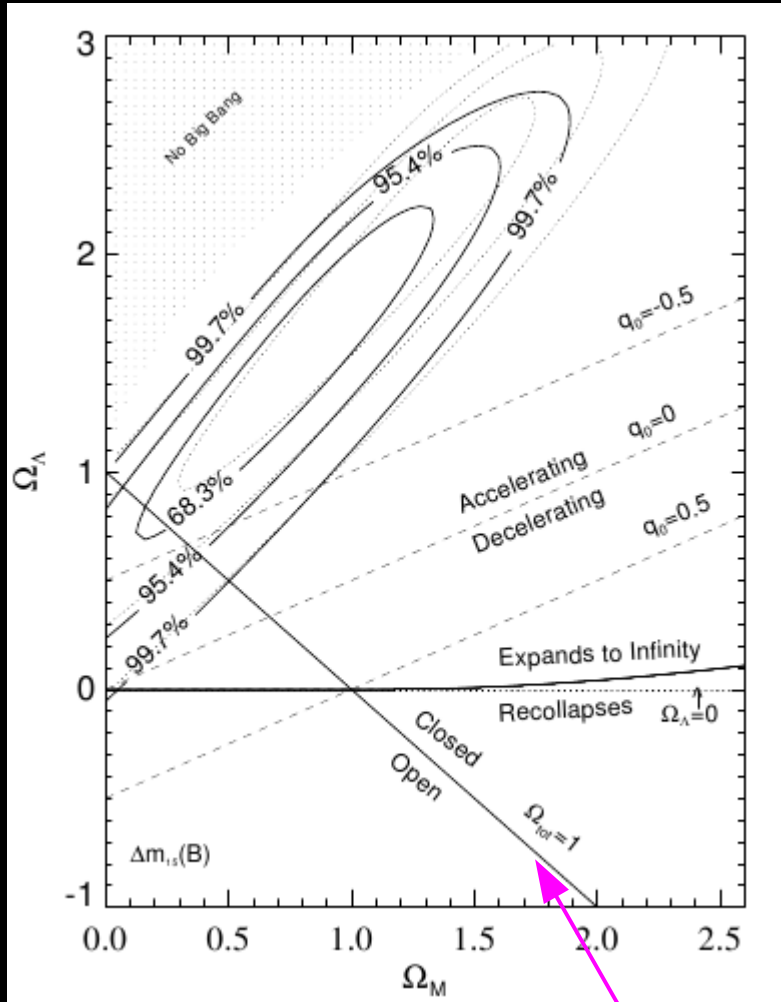
Ovojnice
enake gostote



Temna snov – Prasevanje



Temna energija – supernove tipa Ia



$$m - M = 5 \log_{10} \left(\frac{d_L}{\text{Mpc}} \right) + 25,$$

$$d_L(z) = (1+z) \begin{cases} \frac{1}{\sqrt{k}} \sin(\chi(z)\sqrt{k}) & k > 0 \\ \chi(z) & k = 0 \\ \frac{1}{\sqrt{-k}} \sinh(\chi(z)\sqrt{-k}) & k < 0 \end{cases}$$

$$\chi(z) = \int_0^z \frac{dz'}{H(z')}.$$

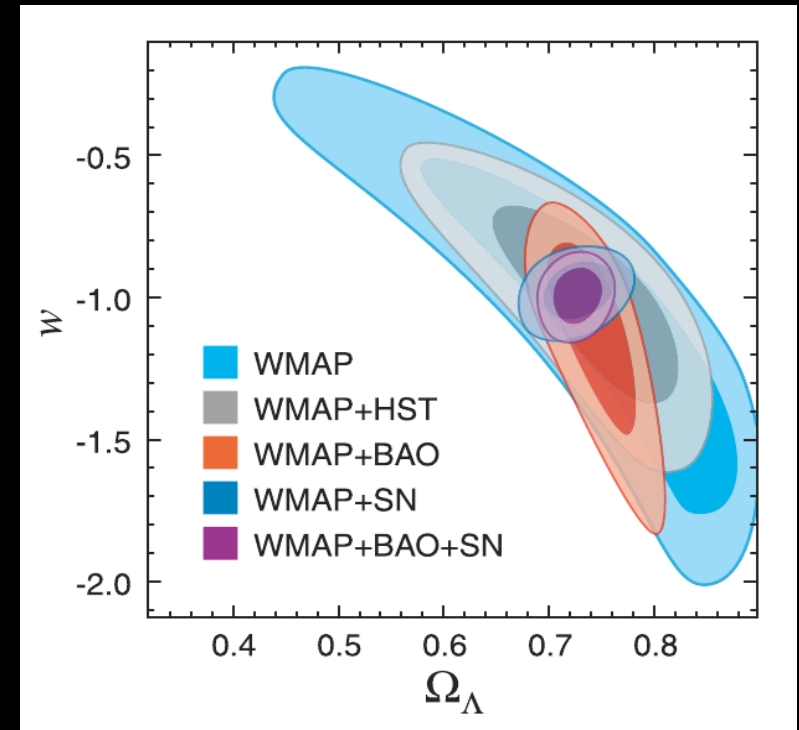
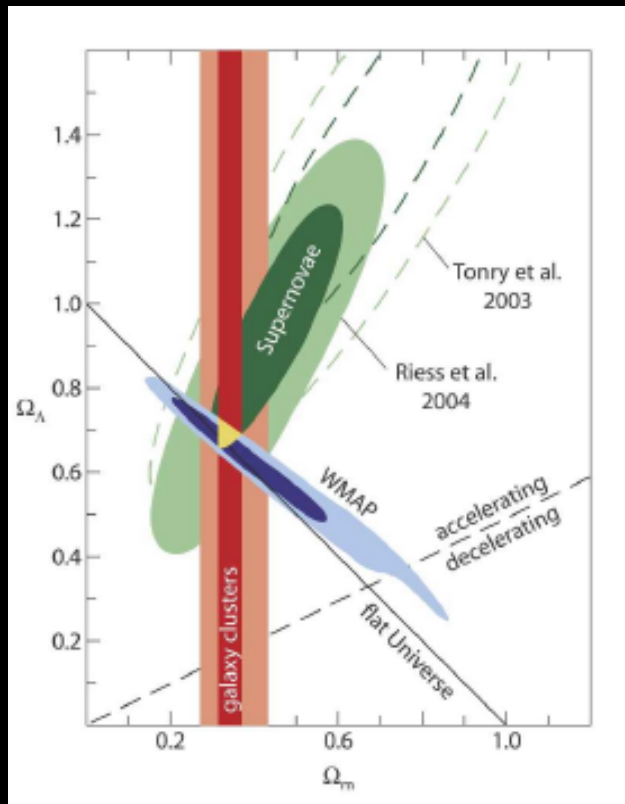
$$\left(\frac{H}{H_0} \right)^2 = \frac{\Omega_m}{a^3} + \frac{\Omega_k}{a^2} + \Omega_\Lambda,$$

$$\Omega_k = -k/H_0^2$$

$$1+z = 1/a$$

$k=0$

Lastnosti temne snovi in temne energije



$$\Omega_m = 0.275 \pm 0.015, \quad \Omega_\Lambda = 0.725 \pm 0.016.$$

$$\Omega_{cdm} = 0.228 \pm 0.015, \quad \Omega_\Lambda = 0.727 \pm 0.016.$$

$$w = \frac{p}{\rho c^2}$$

Narava temne snovi in temne energije

Temna snov

- WIMP (angl. Weakly Interacting Massive Particles) – šibko sklopljeni masivni delci
- Supersimetrični partnerji, težki sterilni nevtrini, lahko nevtrini, itd.
- Ločimo 3 tipe: CDM (hladna), WDM (topla), HDM (vroča) – glede na njihovo maso/hitrost
- Alternativne teorije: teorija strun, kvantna gravitacija, MOND (popravljen Newtonova teorija)

Temna energija

- Kozmološka konstanta
- Kvintesence, k-esence, vektorska inflacija – temna energija kot tekočina
- Višje dimenzije, M-Brane, $f(R)$ teorije, TeVeS, masivna skalarna polja, Brans-Dicke teorije ← znanstvena fantastika :-)

Temna energija - teorije (hic svnt dracones)

Kozmološka konstanta – energija vakuuma

$$\rho_\Lambda \equiv \frac{\Lambda c^2}{8\pi G} \propto \int^{\Lambda c} d^3 p \frac{1}{2} \sqrt{p^2 + m^2} \sim \Lambda_c^4$$

$$\rho_\Lambda \sim M_{pl}^4 \sim 10^{73} \text{ GeV}^4$$

$$\rho_{de}^{obs} \sim 10^{-47} \text{ GeV}^4$$

Einsteinova splošna teorija gravitacije

$$S = \int d^4 x \sqrt{-g} \left[\frac{1}{2\kappa} (R - 2\Lambda) + \mathcal{L}_m \right]$$

$$\kappa = 8\pi G/c^4$$

$$R_{\mu\nu} - \frac{1}{2} R g_{\mu\nu} + \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$$

$$R_{\mu\nu} - \frac{1}{2} R g_{\mu\nu} = \frac{8\pi G}{c^4} (T_{\mu\nu} + T_{\mu\nu}^{vac})$$

+ FRW metrika

$$ds^2 = g_{\mu\nu} dx^\mu dx^\nu = -c^2 dt^2 + a^2 \left[\frac{dr^2}{1 - kr^2} + r^2 (d\theta^2 + \sin^2 \theta d\varphi^2) \right]$$

$$\left(\frac{H}{H_0} \right)^2 = \frac{\Omega_m}{a^3} + \frac{\Omega_k}{a^2} + \Omega_\Lambda,$$

Višje dimenzije – Randall-Sundrum model

$$ds^2 = e^{-2A(y)} \eta_{\mu\nu} dx^\mu dx^\nu + dy^2$$

$$A(y) = k|y|$$

Kvintesence

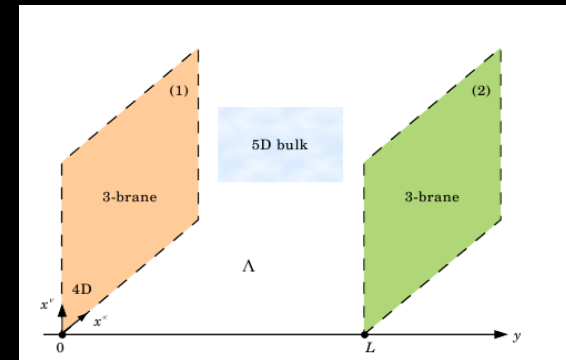
$$S = \int d^4 x \sqrt{-g} [\partial_\mu \phi \partial^\mu \phi - V(\phi)]$$

Brans-Dicke teorija

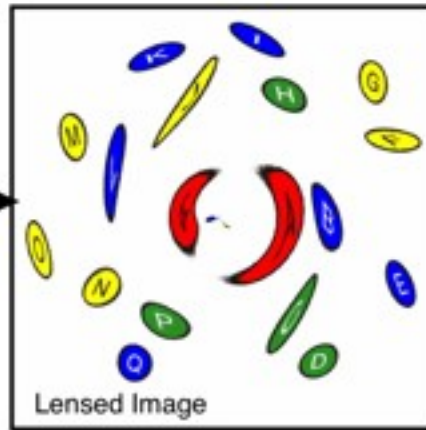
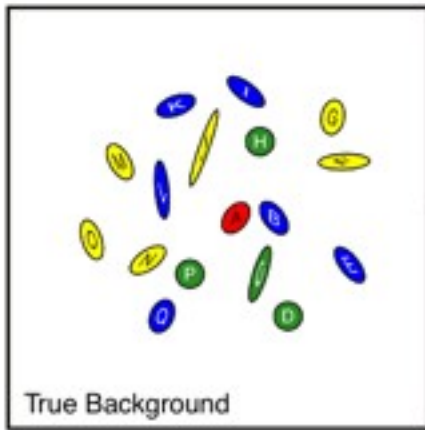
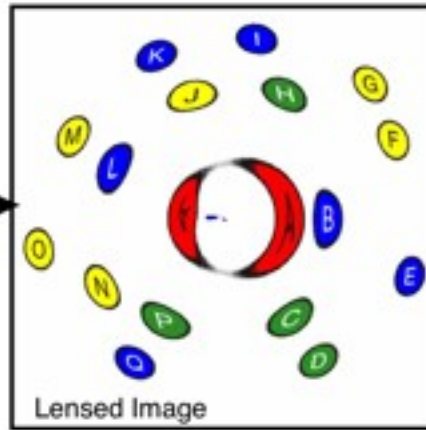
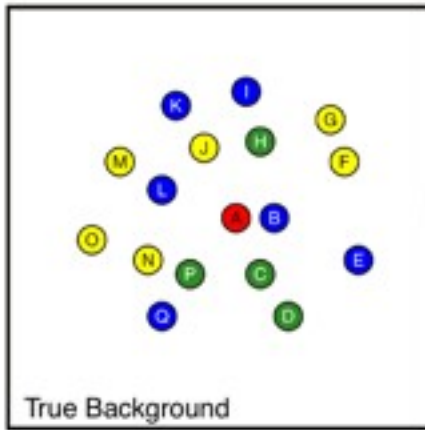
$$S = \int d^4 x \sqrt{-g} \left[\frac{c^4}{16\pi} \left(\varphi R + \omega \frac{\partial_\mu \varphi \partial^\mu \varphi}{\varphi} \right) + \mathcal{L}_m \right]$$

$$G^{-1} \sim \varphi$$

$$S = \int d^4 x \sqrt{-g} \left[\frac{1}{2\kappa} (\phi R + f(\phi)) + \mathcal{L}_m \right]$$



Hvala za pozornost! :-)



$$\mathcal{A} = \frac{1}{16\pi} \int \left(\phi R + \omega \frac{\phi_\mu \phi^\mu}{\phi} \right) \sqrt{-g} d^4x + \int T \sqrt{-g} d^4x.$$

$$R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R = -\frac{8\pi}{\phi} T_{\mu\nu} - \frac{\omega}{\phi^2} \left(\phi_\mu \phi_\nu - \frac{1}{2} g_{\mu\nu} \phi^\alpha \phi_\alpha \right) - \frac{1}{\phi} (\phi_{\mu\nu} - g_{\mu\nu} \square \phi).$$

$$\frac{\dot{a}^2}{a} + \frac{k}{a^2} = \frac{8\pi}{3} \frac{\rho}{\phi} - \frac{\dot{\phi}}{\phi} \frac{\dot{a}}{a} + \frac{\omega}{6} \frac{\dot{\phi}^2}{\phi^2}$$

$$\dot{\phi} = \frac{1}{a^3} \frac{8\pi}{2\omega + 3} \int_0^t (\rho - 3p) a^3 dt + \frac{v_0}{a^3},$$